//The Luhn algorithm will detect any single-digit error, as well as almost all //transpositions of adjacent digits. It will not, however, detect transposition //of the two-digit sequence 09 to 90 (or vice versa). Other, more complex check-//digit algorithms (such as the Verhoeff algorithm) can detect more transcription //errors. The Luhn mod N algorithm is an extension that supports non-numerical // strings.

//The formula verifies a number against its included check digit, which is usually //appended to a partial account number to generate the full account number. This //account number must pass the following test:

- // 1. Starting with the rightmost digit (which is the check digit) and moving left, //double the value of every second digit. For any digits that thus become 10 or more, //add their digits together as if casting out nines. For example, 1111 becomes 2121, //while 8763 becomes 7733 (from $2\times6=12$ 1+2=3 and $2\times8=16$ 1+6=7).
- //
 // 2. Add all these digits together. For example, if 1111 becomes 2121, then 2+1+2+1
 //is 6; and 8763 becomes 7733, so 7+7+3+3 is 20.
- // 3. If the total ends in 0 (put another way, if the total modulus 10 is congruent //to 0), then the number is valid according to the Luhn formula; else it is not valid. //So, 1111 is not valid (as shown above, it comes out to 6), while 8763 is valid (as //shown above, it comes out to 20).

```
// {\tt LUHN} algorithm to generate a check digit for a string
//of numbers that are randomly selected for demonstartion
//the array returned is the random string and the check digit //in the last location //
int[] CreateNumber(int length) {
Random random = new Random();
int[] digits = new int[length];
for(int i = 0; i < length - 1; i++)
    digits[i] = random.Next(10);
int sum = 0;
bool alt = true;
for(int i = length - 2; i >= 0; i--)
    if(alt)
         int temp = digits[i];
temp *= 2;
         if(temp > 9)
             temp -= 9;
         sum += temp;
    else
         sum += digits[i];
    alt = !alt;
}
int modulo = sum % 10;
if(modulo > 0)
    digits[length-1] = 10 - modulo;
return digits;
}
```